

Data Bases II

Distributed Deadlock: Obermarck Algorithm

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Exercise E.1

Consider the following waiting conditions:

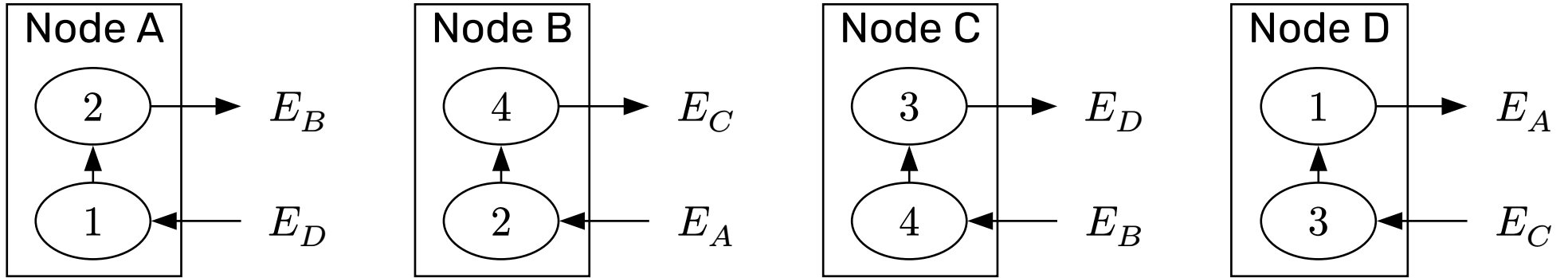
Node A : $E_D \rightarrow t_1, t_1 \rightarrow t_2, t_2 \rightarrow E_B$

Node B : $E_A \rightarrow t_2, t_2 \rightarrow t_4, t_4 \rightarrow E_C$

Node C : $E_B \rightarrow t_4, t_4 \rightarrow t_3, t_3 \rightarrow E_D$

Node D : $E_C \rightarrow t_3, t_3 \rightarrow t_1, t_1 \rightarrow E_A$

Indicate whether there is a deadlock.

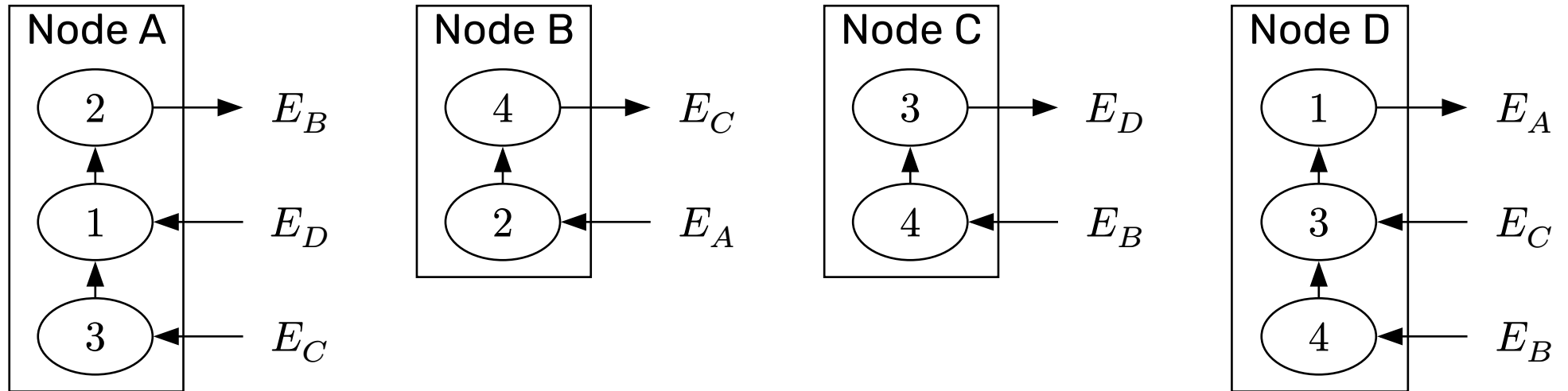


Information is only sent «ahead». That is, given

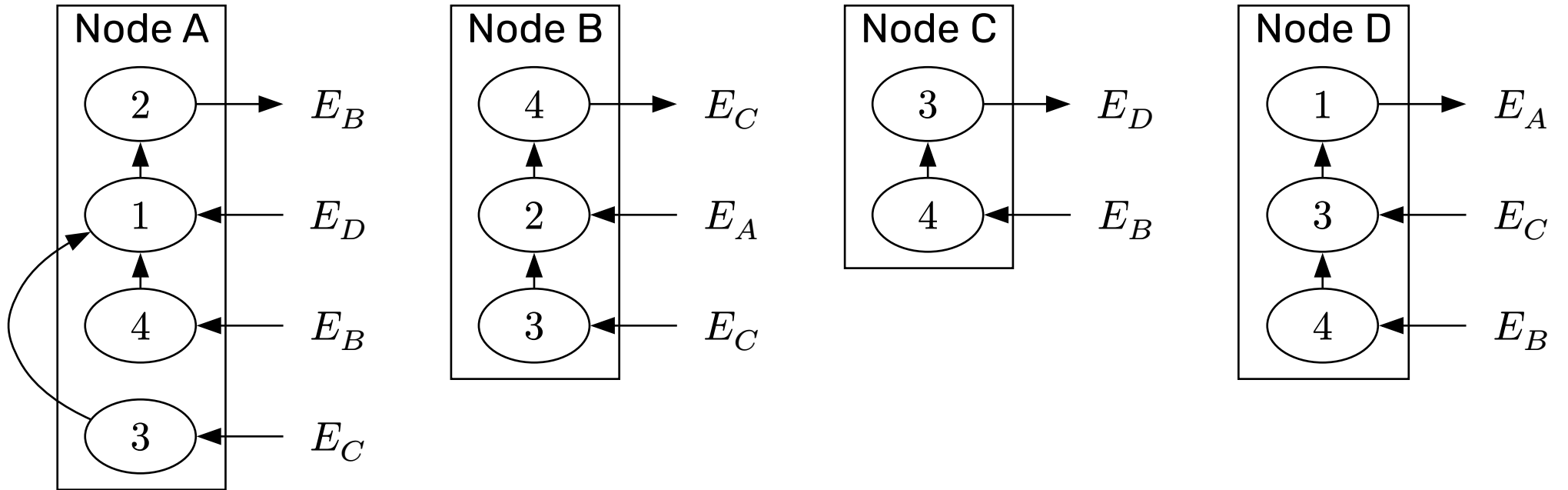
$$E_a \rightarrow t_i \rightarrow \dots \rightarrow t_j \rightarrow E_b$$

The message is sent to E_b if $i > j$ (this is an arbitrary choice).

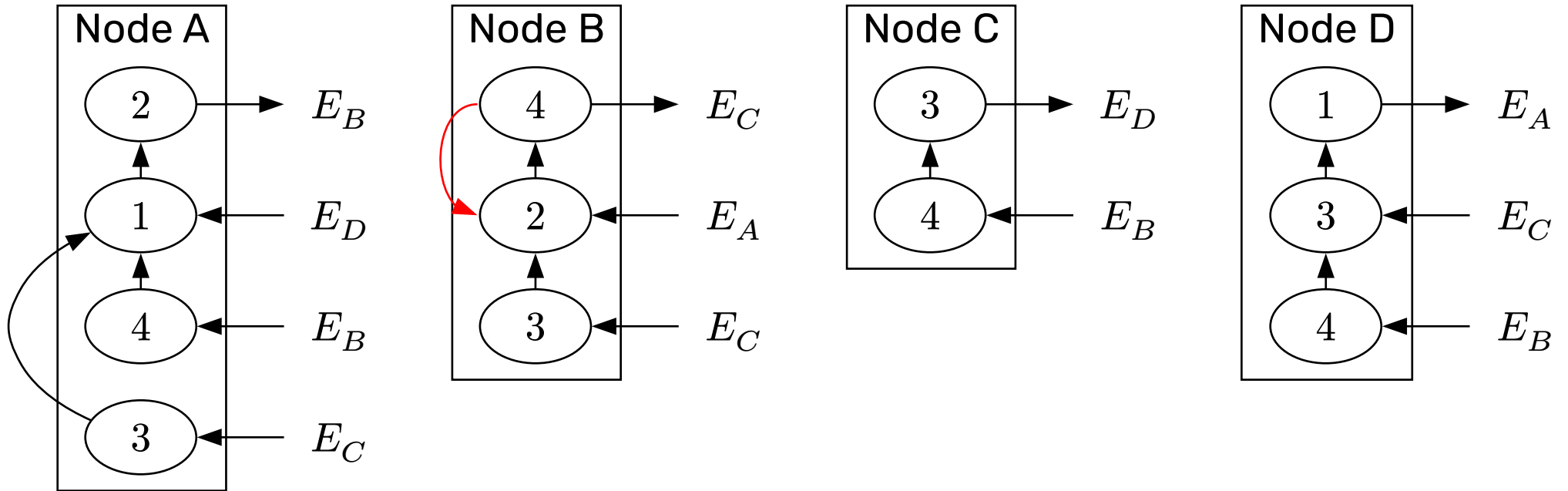
Step 1: C sends to D , and D sends to A .



Step 2: *A* sends to *B*, *D* sends to *A*.



Step 3: A sends 4 → 2 to B: a cycle is found, there is a deadlock.

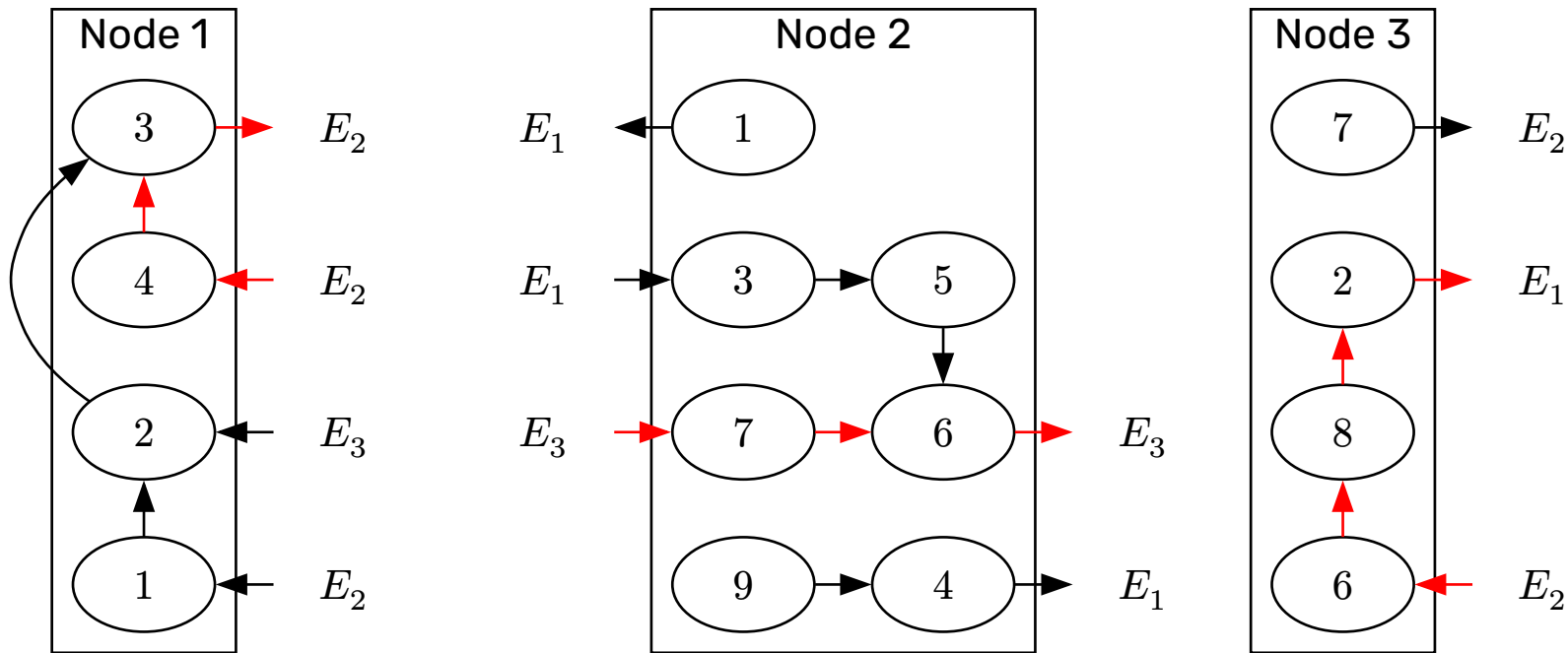


Exercise E.2

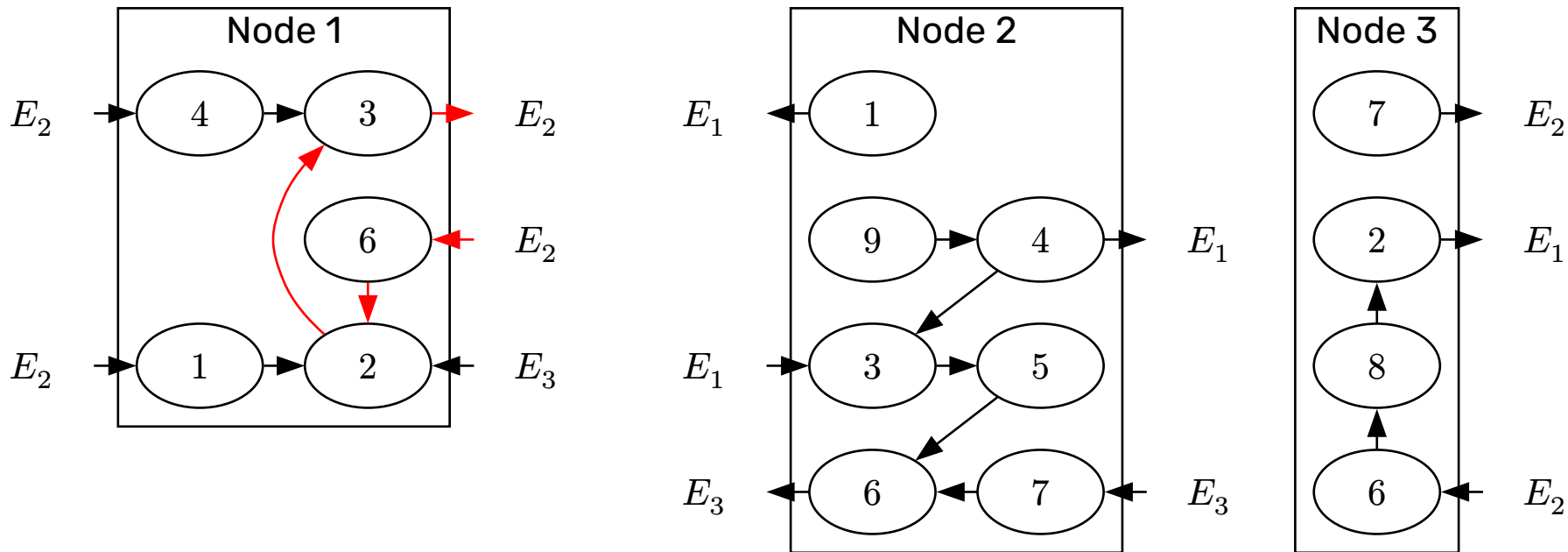
Consider the following waiting conditions:

- Node 1: $E_2 \rightarrow t_1, t_1 \rightarrow t_2, E_3 \rightarrow t_2, t_2 \rightarrow t_3, t_3 \rightarrow E_2, E_2 \rightarrow t_4, t_4 \rightarrow t_3$
- Node 2: $E_1 \rightarrow t_3, t_3 \rightarrow t_5, t_5 \rightarrow t_6, t_6 \rightarrow E_3, E_3 \rightarrow t_7, t_7 \rightarrow t_6,$
 $t_9 \rightarrow t_4, t_4 \rightarrow E_1, t_1 \rightarrow E_1$
- Node 3: $E_2 \rightarrow t_6, t_6 \rightarrow t_8, t_8 \rightarrow t_2, t_2 \rightarrow E_1, t_7 \rightarrow E_2$

Indicate whether there is a distributed deadlock.



Step 1: node 1 sends $4 \rightarrow 3$ to node 2, node 2 sends $7 \rightarrow 6$ to node 3, node 3 sends $6 \rightarrow 2$ to node 1.



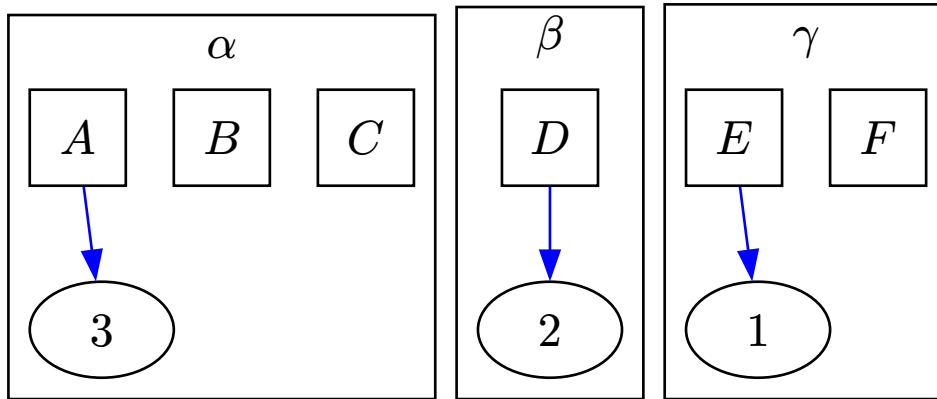
Step 2: node 1 sends $6 \rightarrow 3$ to node 2.

Exercise E.3

Suppose we have 3 nodes α , β , and γ , 6 transactions $t_1 \dots t_6$, and 6 resources $A \dots F$. A , B , and C are on node α , D is on node β , and E and F are on node γ . Consider the following schedule

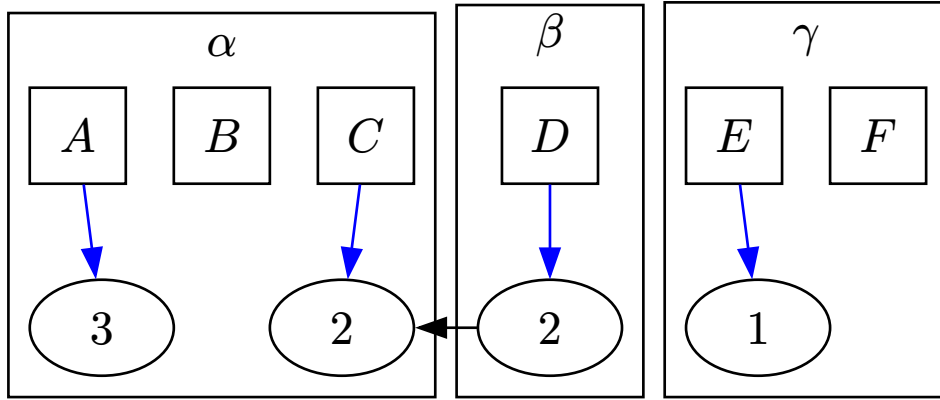
$$r_1(E)r_2(D)r_3(A)r_2(C)w_1(B)r_4(B)w_4(A)r_3(E) \\ r_5(D)w_1(C)w_3(F)r_6(D)w_5(E)w_6(D)$$

Assume each transactions begins on the node hosting the first used resource. Build the waiting conditions and simulate the Obermarck algorithm.

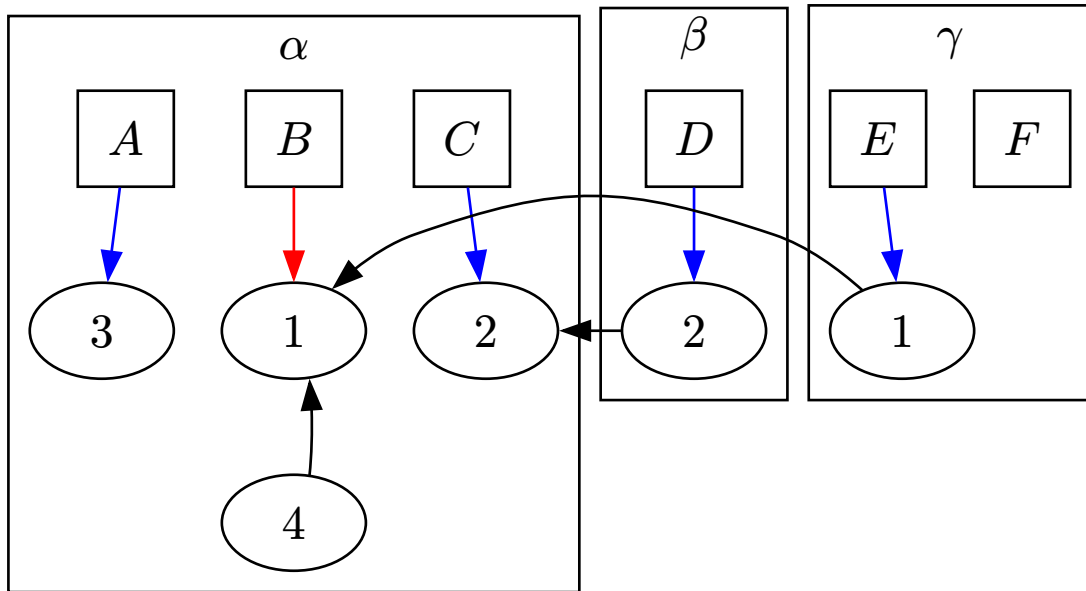


$r_1(E)r_2(D)r_3(A)r_2(C)w_1(B)r_4(B)w_4(A)r_3(E)r_5(D)w_1(C)w_3(F)r_6(D)w_5(E)w_6(D)$

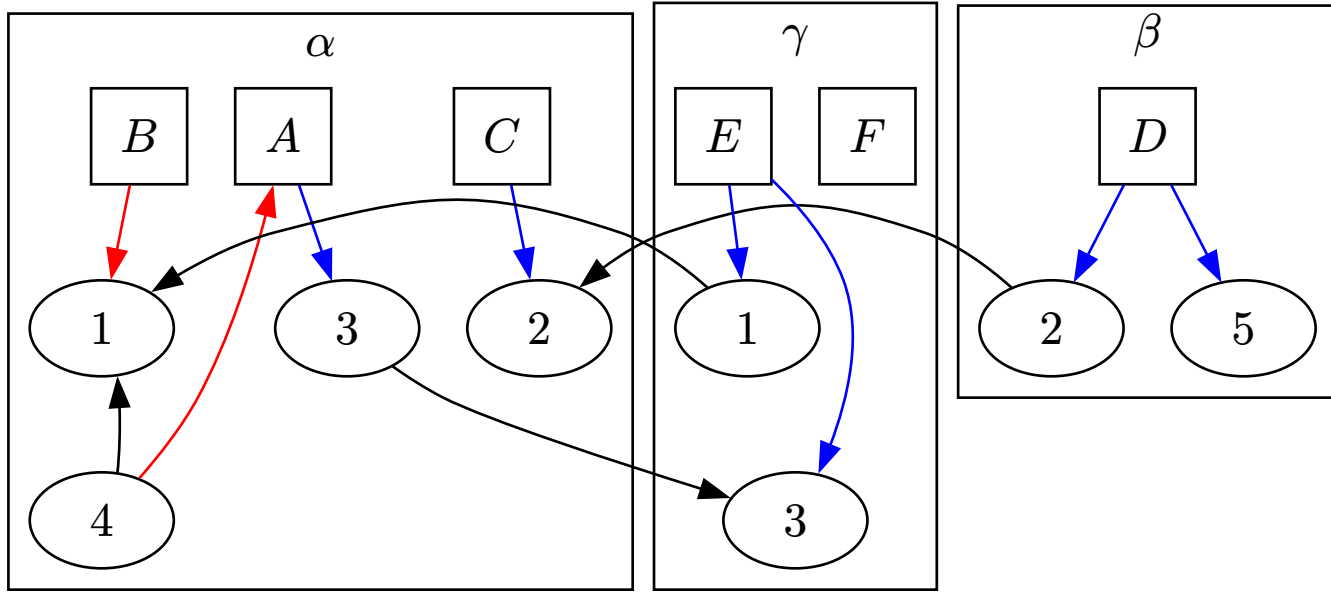
In blue, shared locks. In red, exclusive locks.



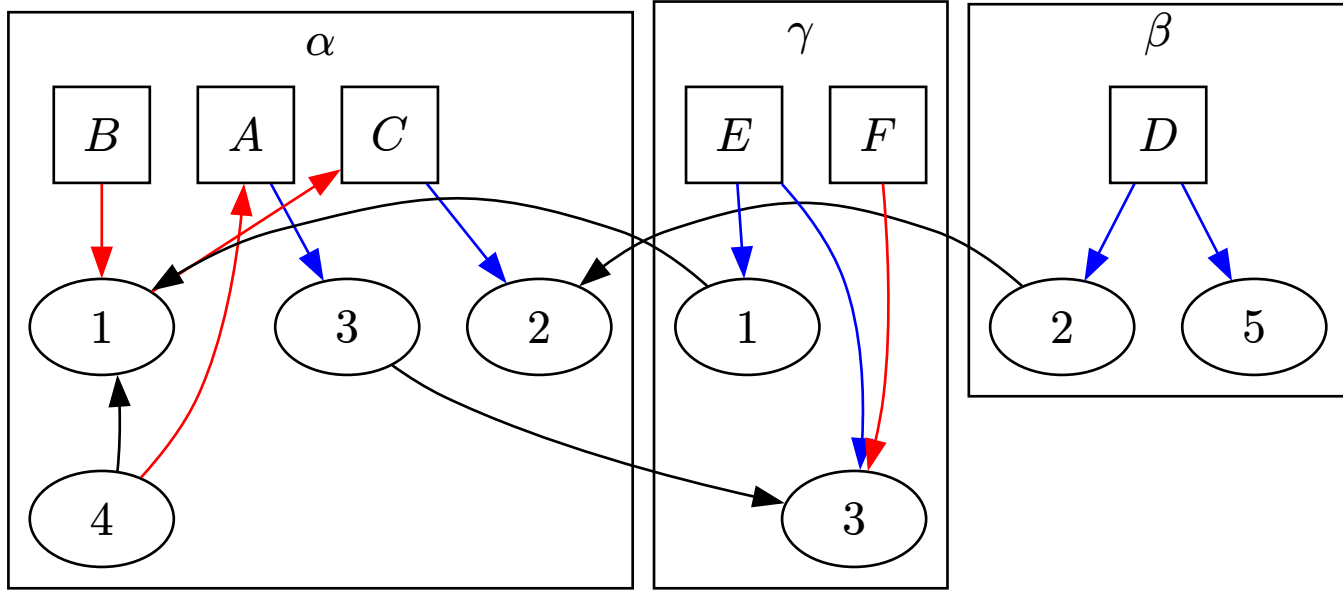
$r_1(E)r_2(D)r_3(A)r_2(C)w_1(B)r_4(B)w_4(A)r_3(E)r_5(D)w_1(C)w_3(F)r_6(D)w_5(E)w_6(D)$



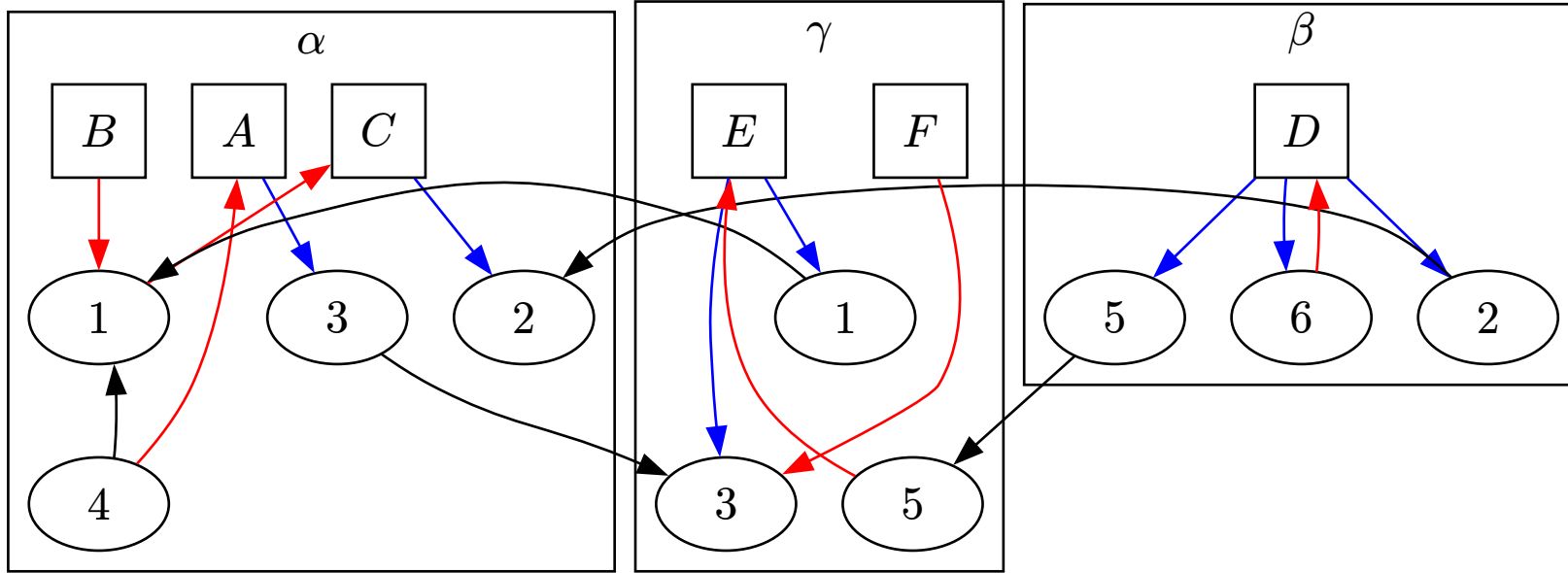
$r_1(E)r_2(D)r_3(A)r_2(C)w_1(B)r_4(B)w_4(A)r_3(E)r_5(D)w_1(C)w_3(F)r_6(D)w_5(E)w_6(D)$



$r_1(E)r_2(D)r_3(A)r_2(C)w_1(B)r_4(B)w_4(A)r_3(E)r_5(D)w_1(C)w_3(F)r_6(D)w_5(E)w_6(D)$



$r_1(E)r_2(D)r_3(A)r_2(C)w_1(B)r_4(B)w_4(A)r_3(E)r_5(D)w_1(C)w_3(F)r_6(D)w_5(E)w_6(D)$



$r_1(E)r_2(D)r_3(A)r_2(C)w_1(B)r_4(B)w_4(A)r_3(E)r_5(D)w_1(C)w_3(F)r_6(D)w_5(E)w_6(D)$

Ignoring situation such as t_6 on β with D (i.e., the same transaction having a shared lock and asking for an exclusive lock), there is no cycle.

Hence, no deadlock.

As a higher-level view, here is the graph without the resources, and only with transactions and dependencies.

